

Percentages

Key Knowledge/Prior Learning KS2/3 and Retrieval and Suggested Starters

- Division
- Decimal calculations
- FDP conversions
- BIDMAS
- Indices (inc indices calculations)
- Comparing ratios and fractions (FDPR)
- Time and Money calculations

KS3 National Curriculum – what students will be practicing and Key Questions

Proportional Reasoning:

Percentages inc Growth and Decay:

- Representing and comparing percentages
- Percentages of amounts
- Percentage increase/decrease
- Reverse percentages
- Percentage change
- Simple interest
- Repeated percentage change.

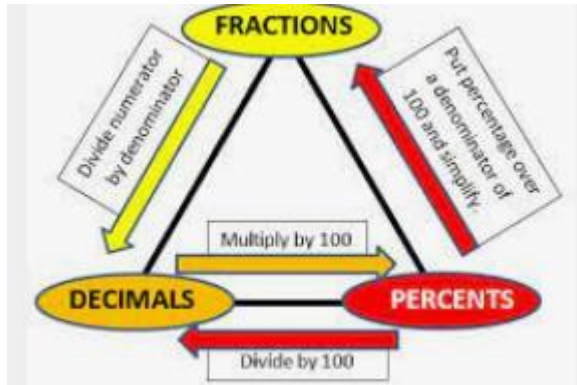
Specific Ambitious Knowledge

Key Vocabulary/Literacy Opportunities

- Proportion
- Percent
- Increase & decrease
- Original amount
- Interest
- Simple Vs Compound Interest
- Annum
- Multiplier
- Indices/Powers
- Depreciation
- Profit
- Loss

Key Formulae/Knowledge and Misconceptions

FDP Conversions



Multipliers

40%	b	55%	c	96%
0.4		0.55		0.96
9%	e	3.2%	f	62.5%
0.09		0.032		0.625
123%	h	0.68%	i	625.9%
1.23		0.0068		6.259

Multiplication making numbers bigger – so reluctance to use these to find percentages

Percentage Change

$$\text{Percentage Change Formula} = \frac{\text{New Value} - \text{Original Value}}{\text{Original Value}} \times 100$$

Reverse percentages

David's pay increases by 20% to £10.80 an hour.
What was his pay before the increase?

$$\begin{array}{l} \div 120 \downarrow 120\% \rightarrow \text{£}10.80 \downarrow \div 120 \\ 1\% \rightarrow \text{£}0.09 \downarrow \times 100 \\ \times 100 \downarrow 100\% \rightarrow \text{£}9 \end{array}$$

Simple Interest

Simple interest: $I = p \times r \times t$

I = interest earned after t years

p = money borrowed or invested

r = annual rate of interest

t = the length of time you borrow or invest

£2000 is invested at 10% simple interest.

What is the value at the end of year 1?

$$\begin{aligned} 10\% &= 200 \\ &= 2000 + 200 \\ &= 2200 \end{aligned}$$

What is the value at the end of year 2?

$$\begin{aligned} 10\% &= 200 \\ &= 2000 + (200 \times 2) \\ &= 2400 \end{aligned}$$

What is the value at the end of year 20?

$$\begin{aligned} 10\% &= 200 \\ &= 2000 + (200 \times 20) \\ &= 6000 \end{aligned}$$

Repeated Percentage Change

Repeated Percentage Change

Sally invested £220 in a company. She lost 15% every year!

How much was her investment worth after 3 years?



$$1^{\text{st}} \text{ Year} = 220 \times 0.85$$



$$2^{\text{nd}} \text{ Year} = (220 \times 0.85) \times 0.85$$



$$3^{\text{rd}} \text{ Year} = ((220 \times 0.85) \times 0.85) \times 0.85 = \text{£}135.11$$

$$n^{\text{th}} \text{ Year} = 220 \times 0.85^n$$

SIMPLIFY

Multiplier:

$$\begin{aligned} &= 100\% - 15\% \\ &= 1.0 - 0.15 \\ &= 0.85 \end{aligned}$$

Formula: $\text{Quantity} \times \text{Multiplier}^{\text{Years}}$

A 10% loss each year for 2 years, equals a 20% loss is a common misconception. Students fail to realise the percentage is based on a new amount after year 1.

Maths in Context (Historical, Real Life and Student Thinking Points)

Projects/Enrichment/Investigations
<ul style="list-style-type: none">• Percentage CrossNumber• Percentages of percentages of amounts• Repeated percentage change number search• Percentages Treasure Hunt <p>Project Ideas: Car hunting: https://www.tes.com/teaching-resource/functional-percentages-ks3-gcse-6229469</p>